## The Electron-Ion Collider



## Additional Material

Thomas Ullrich (BNL/Yale) NNPSS, June 25/26, 2018

## Content (Additional Material)

A. Example of key
measurements

1. Spin of the proton
2. Imaging
3. Structure Functions
and Nuclear PDFs
in eA Collisions
4. Dihadron

Correlations
5. Diffractive physics in eA
8. Few Examples of Key Measurements at an EIC


### 8.1 Spin of the Proton



## EIC: Longitudinal Spin of the Proton (I)

Determine the contribution of quarks and gluons to the proton spin need to measure spin-dependent structure function $\mathrm{g}_{1}$ as function of $x$ and $Q^{2}$ :

Inclusive Measurement: $\quad \frac{1}{2}\left[\frac{\mathrm{~d}^{2} \sigma^{\overrightarrow{ }}}{\mathrm{d} x \mathrm{~d} Q^{2}}-\frac{\mathrm{d}^{2} \sigma^{\overrightarrow{3}}}{\mathrm{~d} x \mathrm{~d} Q^{2}}\right] \simeq \frac{4 \pi \alpha^{2}}{Q^{4}} y(2-y) g_{1}\left(x, Q^{2}\right)$
$\mathrm{e}+\mathrm{p} \rightarrow \mathrm{e}^{\prime}+\mathrm{X}$

Leading Order: $\quad g_{1}\left(x, Q^{2}\right)=\frac{1}{2} \sum e_{q}^{2}\left[\Delta q\left(x, Q^{2}\right)+\Delta \bar{q}\left(x, Q^{2}\right)\right]$

$$
\Delta \Sigma\left(Q^{2}\right)=\int_{0}^{1} d x g_{1}\left(x, Q^{2}\right) \quad \text { (Quark Spin) }
$$

Higher Order: $\quad \frac{d g_{1}}{d \log Q^{2}} \propto \Delta g\left(x, Q^{2}\right) \quad$ (Gluon Spin)

## EIC: Longitudinal Spin of the Proton (II)



For SLdt $=10 \mathrm{fb}^{-1}$ and 70\% polarization Current knowledge (DSSV): uses strong theoretical constraints EIC projections do not $\Rightarrow$ test w/o assumptions

Recall Jaffe-Manohar sum rule:

$$
\begin{aligned}
& \frac{1}{2}=\frac{1}{2} \int_{0}^{1} \mathrm{~d} x \Delta \Sigma\left(x, Q^{2}\right)+ \\
& \int_{0}^{1} \mathrm{~d} x \Delta g\left(x, Q^{2}\right)+\sum_{q} L_{q}+L_{g}
\end{aligned}
$$

Don't know what x contribute!
Need to measure over wide range down to lowest x .

## EIC: Longitudinal Spin of the Proton (III)

Using the simulated $\mathrm{g}_{1}(\mathrm{x}, \mathrm{Q} 2)$ pseudo-data the following constrains on quark and gluon spin emerge:

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Quark Spin


Gluon Spin

½-Gluon-Quark Spin


## EIC: Longitudinal Spin of the Proton (III)

Using the simulated $\mathrm{g}_{1}(\mathrm{x}, \mathrm{Q} 2)$ pseudo-data the following constrains on quark and gluon spin emerge:

½-Gluon-Quark Spin

Combining information on $\Delta \Sigma$ and $\Delta \mathrm{g}$ constrains angular momentum

## EIC: Longitudinal Spin of the Proton (IV)

Constraining spin of the sea-quarks and gluons at low-x is important but requires high $\sqrt{ }$ s



### 8.2 Imaging



## 3-D Imaging of Quarks and Gluons

$$
\mathrm{W}\left(\mathrm{x}, \mathrm{~b}_{\mathrm{T}}, \mathrm{k}_{\mathrm{T}}\right)
$$



Mother of all functions describing the structure of the proton:
5D Wigner Function: $\mathrm{W}\left(\mathrm{x}, \mathrm{k}_{\mathrm{T}}, \mathrm{b}_{\mathrm{T}}\right)$

Was considered not measurable. Recent ideas via dijet measurements are evolving ...

## 3-D Imaging of Quarks and Gluons



## 3-D Imaging of Quarks and Gluons



Spin-dependent 3D momentum space images from semi-inclusive scattering

## Transverse Momentum Distributions (TMDs)

## 3-D Imaging of Quarks and Gluons



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Transverse Momentum Distributions (TMDs)

Spin-dependent 2D (transverse spatial) + 1D (longitudinal momentum) coordinate space images from exclusive scattering

Generalized Parton Distributions (GPDs) 10

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## 3-D Imaging of Quarks and Gluons



## Transverse Momentum Distributions (TMDs)

Generalized Parton Distributions (GPDs) 10

## 3-D Imaging of Quarks and Gluons



## 3-D Imaging of Quarks and Gluons

## Imaging is big part of EIC program:

- luminosity and energy hungry
- multi-year program
- GPD: measured via DVCS and diffractive vector meson production
- TMD: semi-inclusive DIS
- For more details: see lectures by Alexei Prokudin and Anselm Vossen (Hadron Structure)

Diffractive Virtual Compton Scattering (DVCS)


Diffractive Exclusive
Vector Meson Production


### 8.3. Structure Functions and Nuclear PDFs in eA Collisions



## Nuclear PDFs (nPDFs)

## Goal: Describe initial state of nuclei

For nuclei typically formulated as ration of structure fct $A / p$
$R_{i=g, u, d, \ldots}^{A}\left(x, Q^{2}\right)=\frac{f_{i}^{A}\left(x, Q^{2}\right)}{f_{i}^{p}\left(x, Q^{2}\right)}$

3 distinguished regions:

- shadowing
- anti-shadowing
- EMC effect region
 none is understood
nPDFs are of interest in their own right but are also important for other fields (Heavy-lons, Cosmic Rays etc)


## Nuclear PDFs

nPDFs less well known due to lack of data

nPDF fits typically performed on reduced cross-section

$$
\sigma_{\mathrm{red}}\left(x, Q^{2}\right)=F_{2}\left(x, Q^{2}\right)-\left(\frac{y^{2}}{1+(1-y)^{2}}\right) F_{L}\left(x, Q^{2}\right)
$$

Theory/models have to be able to describe the structure functions and their evolution

- DGLAP:
- predicts $Q^{2}$ but not $A$ and $x$ dependence
- Saturation models (JIMWLK):
- predict A and x dependence but not Q²
- Need: large Q2 lever-arm for fixed $x$, A-scan
e+A: Aim at extending our knowledge on structure functions into the realm where gluon saturation (higher twist) effects emerge $\Rightarrow$ different evolution (JIMWLK)


## EIC: Structure Functions in eA

## EIC pseudo-data

- $\mathrm{F}_{\mathrm{L}}, \mathrm{F}_{2}, \sigma_{\text {red }}, \mathrm{F}_{2}{ }^{\text {cc }}$ values from EPPS16
- Errors (sys and stat.) from simulations for $\int \mathrm{Ldt}=10 \mathrm{fb}^{-1 / A}$





## EIC: FL Structure Function

- FL probes glue more directly
- $F_{L}$ is small and requires running at different $\sqrt{ }$ s and thus has larger systemic uncertainties than $\mathrm{F}_{2}$


- Dramatic improvements with EIC at highest energy


## EIC's Impact on nPDFs ( $R_{\text {glue }}$ )



$\triangle X X X$ EPPS16* + EIC (inclusive + charm)
EPPS16* + EIC (inclusive only)
EPPS16*

- Improves uncertainties substantially out to 10-4
- Shrinks uncertainty band by factors 4-8
- Charm: no additional constraint at low-x but dramatic impact at large-x
arXiv:1708.01527


### 8.4 Dihadron Correlations



## Dihadron Correlations

Dihadron correlation as a probe to saturation.

Saturation models predict suppression of away-side peak


Experimental Simple Measurement


Interpretation:
decorrelation due to interaction with low-x gluonic matter

- Predicted [C. Marquet, 09] as important hint of saturation
- Robust calculations available (Albacete, Dominguez, Lappi, Marquet, Stasto, Xiao) including Sudakov resummation in dijet processes


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## Reminder: Dihadrons at RHIC

## p/d+Au at forward rapidities

- Tantalizing hint for initial state suppression as predicted by CGC



## Reminder: Dihadrons at RHIC

## $\mathrm{p} / \mathrm{d}+\mathrm{Au}$ at forward rapidities

- Tantalizing hint for initial state suppression as predicted by CGC

- Cannot assure that effect is initial state in p/d+A
- Large background, no access to process kinematics ( $\mathrm{xg}_{\mathrm{g}}$ )


## EIC Simulation Results: Dihadrons



## EIC Simulation Results: Dihadrons




NJ


## EIC Simulation Results: Dihadrons



## EIC Simulation Results: Dihadrons




Zheng et al., PRD89 (2014) 074037;
BNL-114111-2017, arXiv:1708.01527

- Clear saturation signature
- Allows us to extract the spatial multi-gluon correlations
- Similar Dijet Correlations
- Unique measurement of WW Gluon Distributions (nTMDs)


### 8.5 Diffractive Physics in eA



## Hard Diffraction: What is It? <br> A DIS event (theoretical view)



## Hard Diffraction: What is It?

A DIS event (experimental view)


## Hard Diffraction: What is It?

A DIS event (experimental view)


## Hard Diffraction: What is It?



## Hard Diffraction: What is It?

A diffractive event (experimental view)


## Hard Diffraction: What is It?

A diffractive event (theoretical view)


- HERA: large fraction of diffractive events (15\% of total DIS rate)


## Diffraction for the $21^{\text {st }}$ Century

Diffractive physics will be a major component of the e+A program at an EIC

HERA: $\sigma_{\text {diff }} / \sigma_{\text {tot }} \sim 14 \%$


## Why Is Diffraction So Important?

Recall: diffractive pattern in optics
Position of minima $\theta_{i}$ related to size R of screen

4 Light
Intensity

$$
\begin{aligned}
& \quad \theta_{\mathbf{i}} \sim \mathbf{1} /(\mathbf{k R}) \\
& \text { small angle scattering }
\end{aligned}
$$

Similarly: in coherent (elastic) scattering do/dt resembles diffractive pattern where $|\mathbf{t}| \approx \mathbf{k}^{2} \theta^{2}$

## Crucial differences:

- target not always "black disc"
> sensitivity to "size" of probe / onset of black disc limit
- incoherent (inelastic) contribution



## High Sensitivity to $\mathrm{g}\left(\mathrm{x}, \mathrm{Q}^{2}\right)$

Diffraction is most precise probe of non-linear dynamics in QCD

Example: Exclusive diffractive production of a vector meson

Dipole Model

$$
\gamma^{*} p \rightarrow V p^{\prime}
$$

$$
\gamma^{*} A \rightarrow V A^{\prime}
$$

$$
\mathbf{d} \sigma \sim[\mathbf{g}(\mathbf{x})]^{2}
$$



- High sensitivity to gluon density: $\sigma \sim\left[g\left(x, Q^{2}\right)\right]^{2}$ due to color-neutral exchange


## Exclusive Diffractive Vector Meson

- $t$ can be measured in $\mathrm{e}+\mathrm{p}$ with a forward spectrometer measuring the scattered $p$
- in e+A this is not possible. A' stays in the beam pipe.
- Only process where this is possible is VM production.

$$
t=\left(\boldsymbol{p}_{A}-\boldsymbol{p}_{A^{\prime}}\right)^{2}=\left(\boldsymbol{p}_{\mathrm{VM}}+\boldsymbol{p}_{e^{\prime}}-\boldsymbol{p}_{e}\right)^{2}
$$



## Sartre 1: Diffractive Vector Meson Production



Wave overlap function $\Psi^{*} \Psi$ falls steeply for large dipole radii

- J/ $\psi$ not sensitive to saturation.
- Need to look at $\phi$, or $\rho$ that "see" more of the dipole amplitude

$$
\begin{array}{r}
\mathcal{A}_{T, L}^{\gamma^{*} p \rightarrow V_{p}}(x, Q, \Delta)=i \int \mathrm{~d} r \int \frac{\mathrm{~d} z}{4 \pi} \int \mathrm{~d}^{2} \mathbf{b}\left(\Psi_{V}^{*} \Psi\right)(r, z) \\
\times 2 \pi r J_{0}([1-z] r \Delta) e^{-i \mathbf{b} \cdot \Delta} \frac{\mathrm{~d} \sigma_{q \bar{q}}^{(p)}}{\mathrm{d}^{2} \mathbf{b}}(x, r, \mathbf{b})
\end{array}
$$



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$$





## Vector Meson Production: $\mathrm{d} \sigma / \mathrm{d} t$




- Find: Typical diffractive pattern for coherent (non-breakup) part
- As expected: J/ $\Psi$ less sensitive to saturation than $\phi$
- Need this sliced in x bins $\Rightarrow$ luminosity hungry
- Crucial: $t$ resolution and reach


## Spatial Gluon Distribution from do/dt

Diffractive vector meson production: $\quad e+A u \rightarrow e^{\prime}+A u^{\prime}+J / \psi$

- Momentum transfer $t=\left|\mathbf{p A u}^{-}-\mathbf{p}_{\mathrm{Au}}\right|^{2}$ conjugate to $b_{T}$

- Converges to input $F(b)$ rapidly: $|t|<0.1$ almost enough
- Fourier transformation requires $\int$ Ldt $>1 \mathrm{fb}^{-1} / \mathrm{A}$


## Importance of Incoherent Diffraction



Nucleus dissociates: $f \neq i$
$\sigma_{\text {incoherent }} \propto \sum_{f \neq i}\langle i| \mathcal{A}|f\rangle\langle f| \mathcal{A}|i\rangle$


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$\sigma_{\text {incoherent }} \propto \sum_{f \neq i}\langle i| \mathcal{A}|f\rangle\langle f| \mathcal{A}|i\rangle$

$$
\begin{gathered}
\left.=\left.\langle | \mathcal{A}\right|^{2}\right\rangle-\langle | \mathcal{A}| \rangle^{2} \\
\left.\frac{\mathrm{~d} \sigma_{\text {total }}}{\mathrm{d} t}=\left.\frac{1}{16 \pi}\langle | \mathcal{A}\right|^{2}\right\rangle \quad \frac{\mathrm{d} \sigma_{\text {coherent }}}{\mathrm{d} t}=\frac{1}{16 \pi}\langle | \mathcal{A}| \rangle^{2}
\end{gathered}
$$

- Incoherent CS is the variance of the amplitude
$\Rightarrow$ measure of fluctuation of
the source $G\left(x, Q^{2}, b\right)$ at scale
$\sim 1 / \mathrm{t}$
- Note: Variance disappears in black disk limit! Clear saturation signature.


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\end{aligned}
$$

- Incoherent CS is the variance Example from ep: of the amplitude
$\Rightarrow$ measure of fluctuation of the source $G\left(x, Q^{2}, b\right)$ at scale ~1/t
- Note: Variance disappears in black disk limit! Clear saturation signature.



## Diffractive over Total Cross-Section

- Saturation models (CGC) predict up to $\sigma_{\text {diff }} / \sigma_{\text {tot }} \sim 25 \%$ in eA (Hera in ep ~15\%)
- Enhanced at large $\beta$, i.e. small $M x^{2}$
- $\beta=$ momentum fraction of the struck parton with respect to the Pomeron


$$
\begin{array}{r}
\beta \approx \frac{Q^{2}}{Q^{2}+M_{X}^{2}} \quad x=\beta x_{\mathbb{P}} \\
\text { Rapidity Gap }: \approx \ln \beta / x
\end{array}
$$




## Key Measurement: $\sigma_{\text {diffractive }} / \sigma_{\text {total }}$



Simple Day 1 Measurement:
Ratio of cross-sections

$$
\frac{\sigma_{d i f f} / \sigma_{\text {total }}(e A)}{\sigma_{d i f f} / \sigma_{\text {total }}(e p)}
$$

- Studies using diffractive event generator Sartre based on Dipole model.
- Ratio enhanced for small Mx and suppressed for large Mx
- Standard QCD predicts no Mx dependence and a moderate suppression due to shadowing.


Unambiguous signature for reaching the saturation limit

## Sign Flip

## Sign Flip

Sign Change in relative ratio of diffractive structure functions


Observing these dependencies on $\mathrm{M}_{\mathrm{x}}$ over a wide range in x and $\mathrm{Q}^{2}$ is crucial!

Nucleus is "blacker" than proton. Elastic scattering probability of a $q \bar{q}$ dipole is maximal in the "black" limit

$q \bar{q} g$ component vanishes in black disk limit


# Backup Slides 



## Exploring Short Range Nuclear Forces




Miller, Sievert, Venugopalan, Phys.Rev. C93 (2016)

- Can the short range contributions to NN scattering be described directly in terms of the quark and gluon DoF in QCD?
- Vector meson production in e+D collisions
- Cross-section can be expressed in terms of a gluon Transition Generalized Parton Distribution (T-GPD)
- The hard scale in the final state makes the T-GPD sensitive to the short distance nucleon-nucleon interaction.
- New opportunities - needs more studies (in progress)


## Q $^{2}$ and A Scaling of Diffractive VM Production

- Saturation models predict very special and strong dependencies in A and Q2 that are different above and below $Q^{2}$ s


$$
\text { - } Q^{2}>Q^{2} S
$$

$$
\sigma \sim 1 / Q^{6}
$$

$$
\sigma(\mathrm{t}=0) \sim \mathrm{A}^{2}
$$

$$
\sigma \sim A^{4 / 3}
$$

- $\mathrm{Q}^{2}<\mathrm{Q}^{2} \mathrm{~S}$
- $\sigma \sim Q^{2}$
- $\sigma(\mathrm{t}=0) \sim \mathrm{A}^{4 / 3} \leftrightarrow \mathrm{~A}^{5 / 3}$
- $\sigma \sim A^{2 / 3} \Leftrightarrow A$
- Non-Saturation scenarios do not show this behavior making $A, Q^{2}$ dependencies a key measurement


## $Q^{2}$ and A Scaling of Diffractive VM Production

- Saturation models predict very special and strong dependencies in $A$ and $Q^{2}$ that are different above and below Q $^{2}$ s

- $\mathrm{Q}^{2}>\mathrm{Q}^{2} \mathrm{~S}$
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- $\sigma \sim Q^{2}$
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- $\sigma \sim A^{2 / 3} \Leftrightarrow \mathrm{~A}$
- Non-Saturation scenarios do not show this behavior making $A, Q^{2}$ dependencies a key measurement


## EIC: Gluon TMDs from Dijet Production

- Thus far, focus on quark TMDs while the available studies of gluon TMDs are sparse
- Of particular interest: WW gluon distribution $\mathbf{G}^{(1)}$ and its linearly polarized partner $\mathbf{h}_{T^{(1)}}$ inside unpolarized hadron
- These gluon distributions play also central role in small-x saturation phenomena.
$\mathrm{G}\left({ }^{(1)}\right.$ and $\mathrm{h}_{\mathrm{T}^{(1)}}$ can be accessed through measuring azimuthal anisotropies in processes such as jet pair (dijet) production in e+p and e+A scattering.
A. Metz and J. Zhou, Phys. Rev. D84, 051503 (2011), arXiv:1105.1991.
D. Boer, P. J. Mulders, and C. Pisano, Phys. Rev. D80 , 094017 (2009), arXiv:0909.4652
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A. Dumitru, T. Lappi, and V. Skokov, Phys. Rev. Lett. 115 , 252301 (2015), arXiv:1508.04438.
A. Dumitru and V. Skokov, Phys. Rev. D94, 014030 (2016), arXiv:1605.02739.


## Kinematics: Dijets in $\gamma^{*}$ A



Key observables: $\mathrm{P}_{\mathrm{T}}$ and $\mathrm{q}_{\mathrm{T}}$

- the difference in momenta (imbalance) $\vec{q}_{T}=\vec{k}_{1}+\vec{k}_{2}$
- the average transverse momentum of the jets

$$
\vec{P}_{T}=(1-z) \vec{k}_{1}-z \vec{k}_{2}
$$

- $\phi$ is angle between $\mathrm{P}_{\mathrm{T}}$ and $\mathrm{q}_{\mathrm{T}}$
- work in "correlation limit" $\mathrm{P}_{\mathrm{T}} \gg \mathrm{q}_{\mathrm{T}}$
- azimuthal asymmetry arising from the linearly polarized gluon distribution: $\mathrm{v}_{2}=\langle\cos 2 \phi\rangle$


## Elliptic Anisotropy in DiJet Production (I)

- Dipartons from McDijet event generator (V. Skokov) $\rightarrow$ showers via Pythia $\rightarrow$ experimental cuts $\rightarrow$ jet-finding with ee-kt (FastJet)



- Dijets recover the anisotropy ( $\mathrm{v}_{2}$ ) quite well
- NOTE: phase shift between long. and trans. $\gamma^{*}$ (dominated by T)

Gluon TMDs via: $\quad v_{2}^{L}=\frac{1}{2} \frac{h_{\perp}^{(1)}\left(x, q_{\perp}\right)}{G^{(1)}\left(x, q_{\perp}\right)} \quad, \quad v_{2}^{T}=-\frac{\epsilon_{f}^{2} P_{\perp}^{2}}{\epsilon_{f}^{4}+P_{\perp}^{4}} \frac{h_{\perp}^{(1)}\left(x, q_{\perp}\right)}{G^{(1)}\left(x, q_{\perp}\right)}$

## Elliptic Anisotropy in Dijet Production (III)

- Detailed simulations show that in $\mathrm{e}+\mathrm{A}$ the EIC can perform this challenging measurement
- Can separate background from signal djets
- Can separate $\mathrm{v}_{2}{ }^{\mathrm{L}}$ and $\mathrm{v}_{2}{ }^{\top}$


- Measurement requires large EIC energies (jet physics!)


## Exclusive Diffractive Vector Meson Production



Full simulations using Sartre event generator based on IPSat (aka bSat) model

- Suppression larger for $\varphi$ than for $\mathrm{J} / \psi$ as expected
- Straightforward measurement for early days of an EIC

Note: A ${ }^{4 / 3}$ scaling strictly only valid at large $Q^{2}$

## The Problem of Estimating nPDF Constraints

## Methods:

- Use $\sigma_{\text {red }}$ (includes $F_{2}$ and $\left.F_{L}\left(F_{3}\right)\right)$ pseudo data
- Re-weighting EPPS16
- EPPS16 is a bit stiff at low-x, over-constraints at low-x
- EPPS16* (arXiv:1708.05654, Hannu Paukkunen)
- more flexible form cures EPPS16 problem (low-x bias)
- might underestimate impact?




## Gluon Saturation: Past Experimental Reach



HERA (ep)

- Marginal reach of $\mathrm{Q}_{\mathrm{s}}$
- Only at very low Q2 making comparison with perturbative QCD impossible


Fixed Target DIS Experiment

- eA, $\mu \mathrm{A}$, vA
- Same marginal reach
- Only at low $Q^{2}\left(Q^{2}<1 \mathrm{GeV}^{2}\right)$


## Relation to Chiral Magnetic Effect

- RHIC \& LHC: intriguing hints of CME
- Key challenge: understanding dynamics of axial charge production during the very early pre-equilibrium stages (see talk by Niklas Mueller)
- Tuomas Lappi, Soren Schlichting, arXiv:1708.08625
- Chern-Simons current correlator (the source of axial charge)

$$
\begin{aligned}
& \langle\dot{\nu}(\mathbf{x}) \dot{\nu}(\mathbf{y})\rangle= \\
& \frac{3 g^{4} N_{\mathrm{c}}^{2}\left(N_{\mathrm{c}}^{2}-1\right)}{32}\left[\left(G_{(U)}^{(1)}(\mathbf{x}, \mathbf{y})\right)^{2}\left(G_{(V)}^{(1)}(\mathbf{x}, \mathbf{y})\right)^{2}-\left(h_{\perp(U)}^{(1)}(\mathbf{x}, \mathbf{y})\right)^{2}\left(h_{\perp(V)}^{(1)}(\mathbf{x}, \mathbf{y})\right)^{2}\right]
\end{aligned}
$$

